

Solute Transport Variability in Alpine Karst Aquifers under Different Flow Conditions

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General Background and Research Focus

- Alpine karst aquifers represent important water resources but are strongly influenced by weather extremes and predicted climate change.

Research Question:

- What is the influence of the flow conditions on potential contaminant maximum concentrations in alpine karst systems?

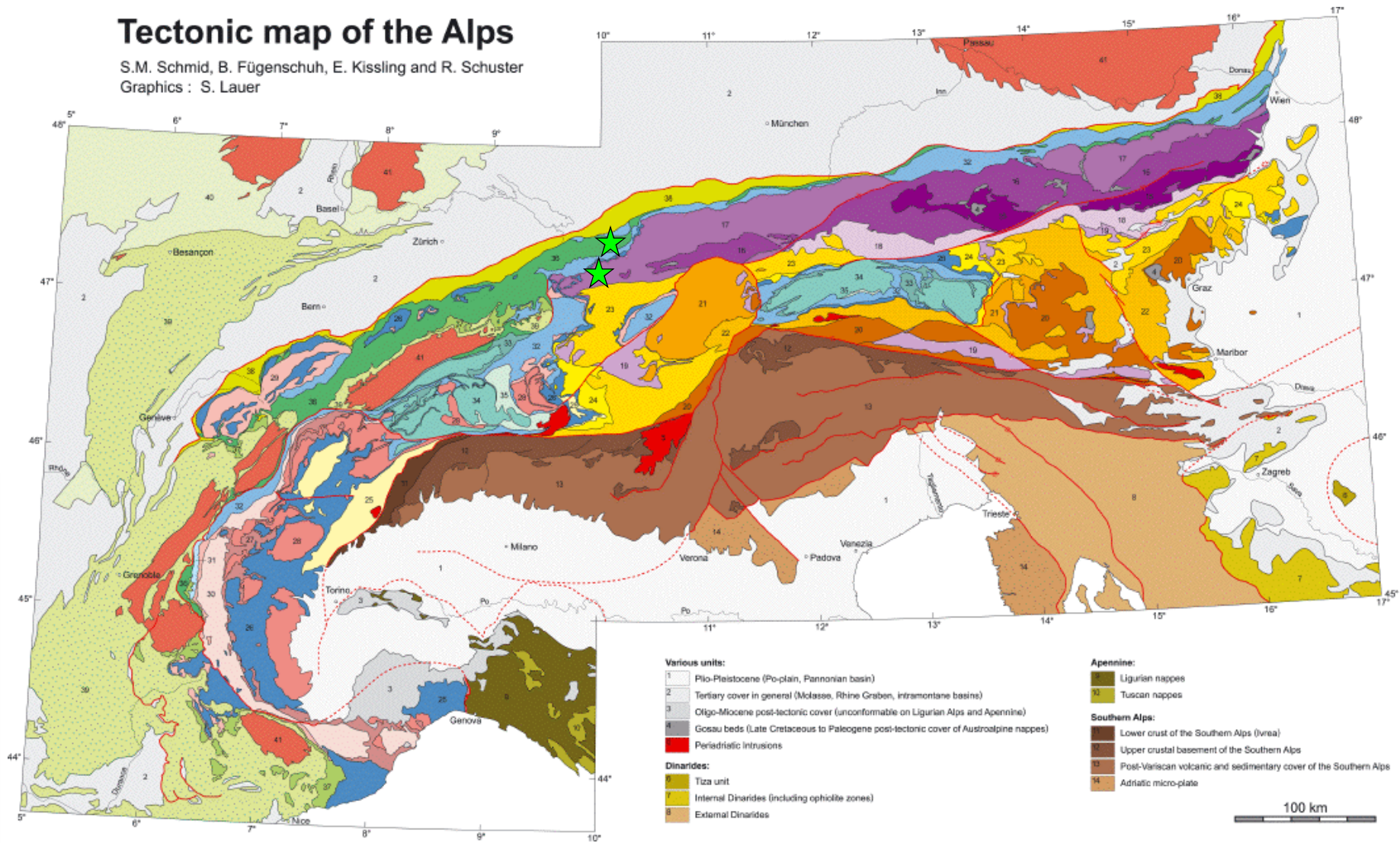
Method:

- Repeated tracer tests during high- and low-flow conditions, in different types of (alpine) karst systems.

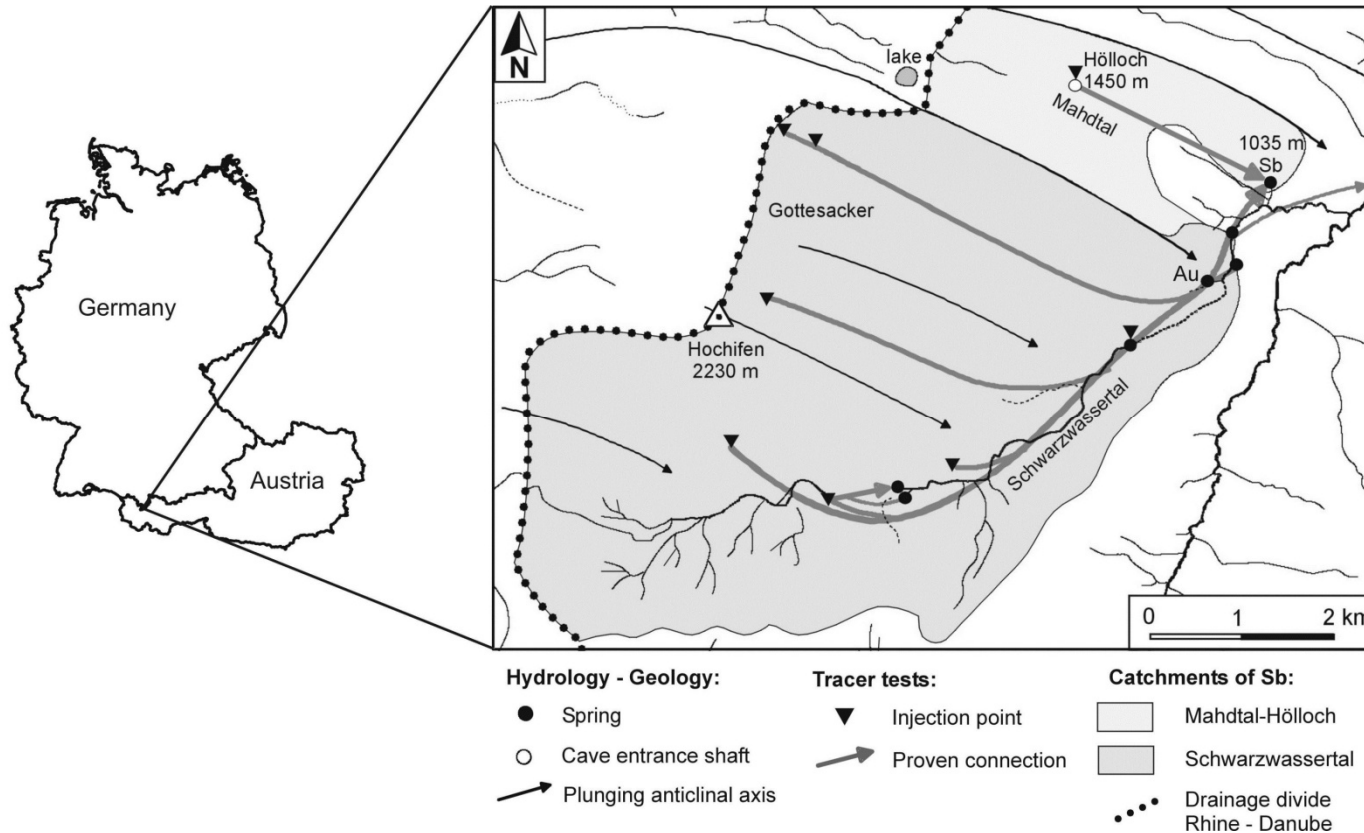
Geology of the Alps and location of the test sites

Tectonic map of the Alps

S.M. Schmid, B. Fügenschuh, E. Kissling and R. Schuster
Graphics : S. Lauer

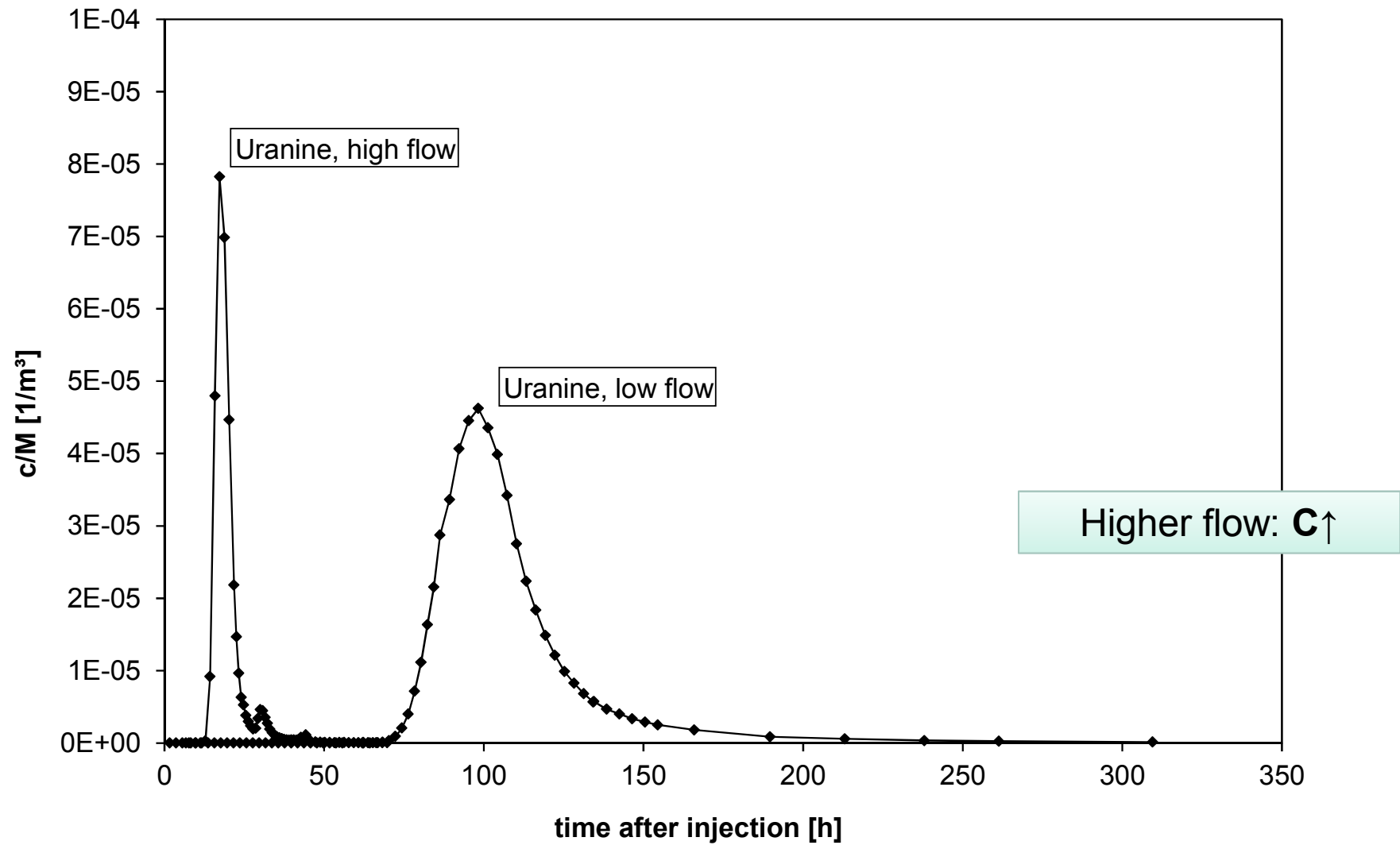


Test site 1: Hochifen-Gottesacker, Hölloch



Two tracer tests ($d = 2300 \text{ m}$):
 Low flow conditions, $Q \sim 172 \text{ L/s}$
 High-flow conditions, $Q \sim 582 \text{ L/s}$

Comparison between high-flow and low-flow conditions



Test site 2: Lechquellengebirge (*Lech Spring Mountains*)

Large regional karst aquifer system... with some small and local epikarst flow systems that are ideal experimental sites for tracer tests ($d = 227$ m).

Swallow hole: tracer injections



227 m

Epikarst spring: main sampling site

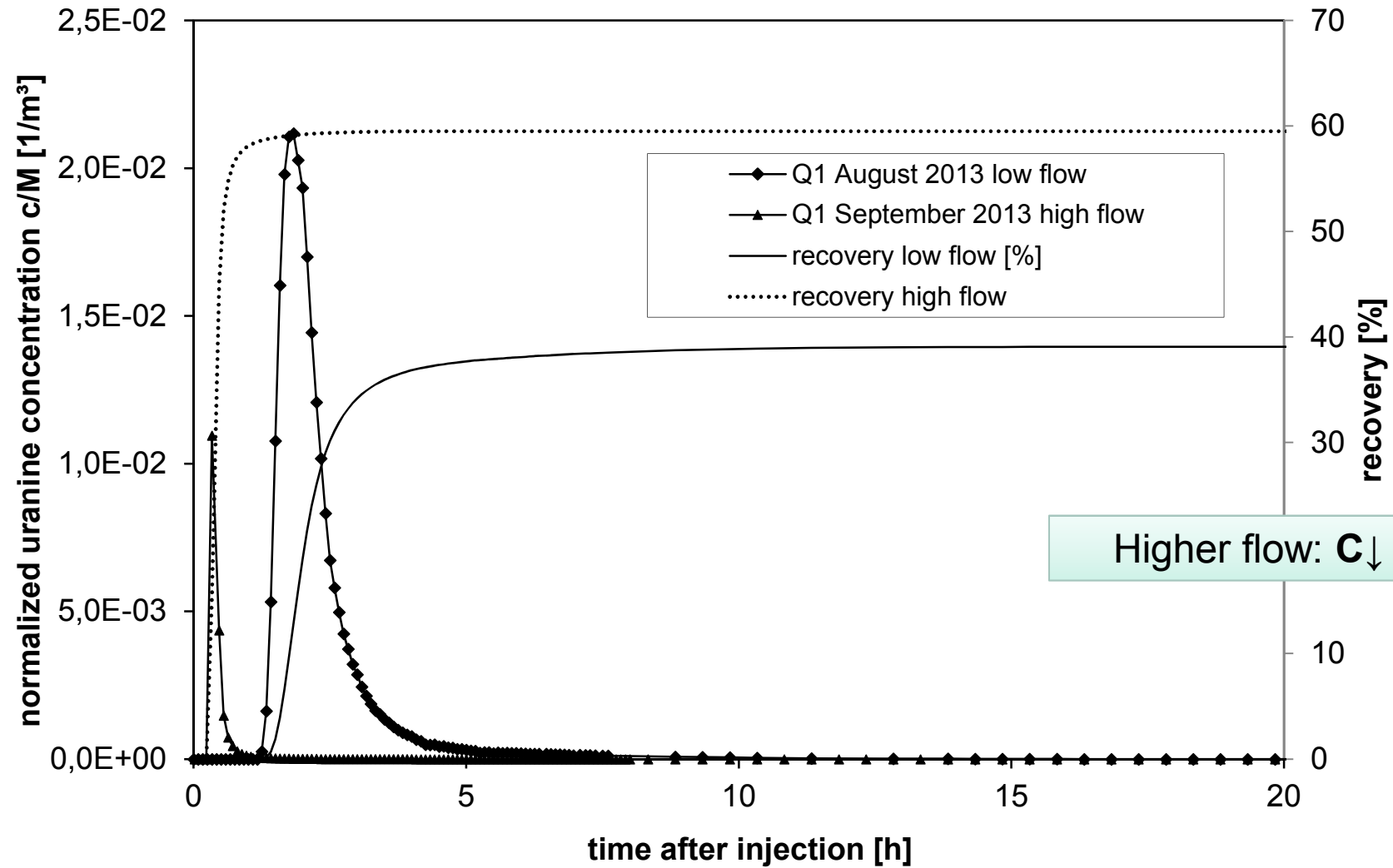


Two tracer tests:

Low flow conditions, $Q \sim 9$ L/s

High-flow conditions, $Q \sim 77$ L/s

Comparison between high-flow and low-flow conditions



Quantitative interpretation

Advection-Dispersion Model (ADM) for tracer transport

$$c(t) = \frac{M}{Q t_0 \sqrt{4 \pi P_D \left(\frac{t}{t_0}\right)^3}} \exp\left(-\frac{\left(1 - \frac{t}{t_0}\right)^2}{4 P_D \frac{t}{t_0}}\right)$$

Kreft & Zuber 1978

Comparison of low- and high-flow conditions

$$\frac{c_{p,h}}{c_{p,l}} = \frac{(v/Q)_h}{(v/Q)_l}$$

Göppert & Goldscheider 2008

c_p = peak concentration
 v = velocity
 Q = discharge
 h/l = high / low-flow conditions

Higher Q means higher velocity and thus narrower tracer breakthrough curve ($C \uparrow$) but also more dilution ($C \downarrow$). Our formula is able to explain this effect.

Comparison of the two test sites

- Test site 1: Higher concentrations during high flow (ratio = 1.7).
- Dominating process: Higher discharge → faster flow → narrower breakthrough curve → higher peak concentration.

$$\frac{c_{p,h}}{c_{p,l}} = \frac{(v/Q)_h}{(v/Q)_l} = 1.7$$

- Test site 2: Lower concentration during high flow (ratio = 0.5).
- Higher discharge → more dilution → lower peak concentration.

$$\frac{c_{p,h}}{c_{p,l}} = \frac{(v/Q)_h}{(v/Q)_l} = 0.5$$

→ Helpful to predict the impact of extreme hydrologic events on maximum contaminant levels

Thank you for your attention!

